

Mapping LAI measurements at different scales for the validation of large swath satellite sensors

First results for the **VALERI** project

M. Weiss¹, L. de Beaufort², F. Baret³, D. Allard², N. Bruguier³, O. Marloie³

¹ NOVELTIS/INRA, ² INRA Biométrie, ³ INRA Bioclimatologie

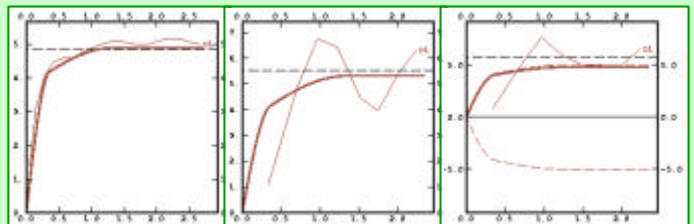
BACKGROUND

- Many large swath sensors
 - VEGETATION, POLDER, MSG, MERIS, AATSR, AVHRR, SeaWifs, MODIS, MISR
- Need for:
 - Validation of the biophysical products (LAI, fCover, fAPAR, Albedo)
 - Inter-comparison between sensors and algorithms to ensure
 - Continuity of observation
 - Improved accuracy of estimates



RESULTS

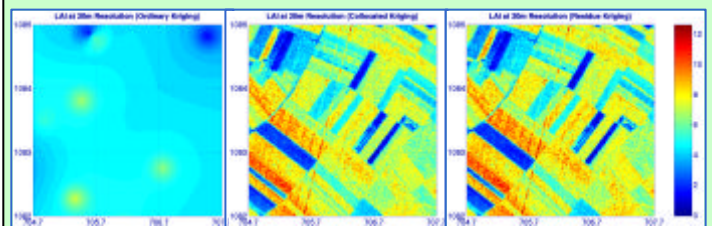
VARIOGRAM computation



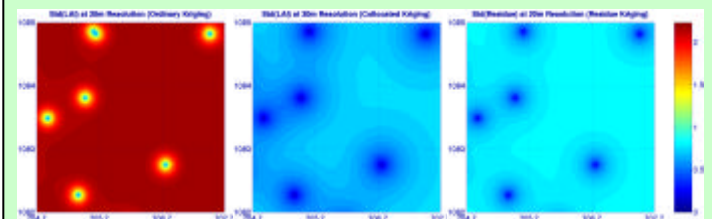
2 spherical models S_1 (range=357m) and S_2 (range = 1335m)

$$\begin{pmatrix} g(LAI, LAI) & g(LAI, LAI_{reg}) \\ g(LAI_{reg}, LAI) & g(LAI_{reg}, LAI_{reg}) \end{pmatrix} = \begin{pmatrix} 3.73 & 3.53 \\ 3.53 & 3.38 \end{pmatrix} (1 - S_1) + \begin{pmatrix} 1.17 & 1.28 \\ 1.28 & 1.93 \end{pmatrix} (1 - S_2)$$

LAI MAPS (3km x 3km) at 20m resolution

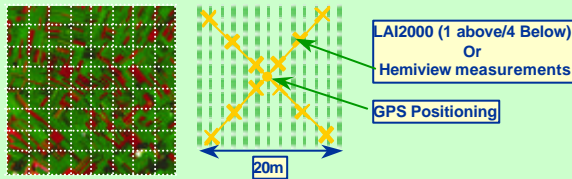


- Ordinary kriging : few measurements, no actual spatial information
- Collocated kriging: spatial information provided by SPOT image prevalent (reflectance/LAI) relationship must be linear
- Residual kriging : spatial information provided by SPOT image prevalent



Using spatial information reduces kriging variance

OBJECTIVE = Deriving LAI maps at low spatial resolution from few Ground measurements



The Romilly site (France): 10kmx10km agricultural area

Area divided in 49 square cells

- At least one field per cell, characterizing the main crop in the cell
- Proportion of the considered crop within the whole area respected

3 KRIGING METHODS CONSIDERED

Ordinary kriging

$$LAI^*(x_0) = \sum_{a=1}^{49} W_a LAI(x_a)$$

$LAI(x_a)$ is the measured LAI at x_a
 $LAI^*(x_a)$ is the estimated LAI at x_a

Minimizing the estimation variance
 $(s^2 = f(\mathbf{g}_{LAI, LAI}, \mathbf{g}_{LAI, LAI_{reg}})$ is the LAI variogram) and

$$\mathbf{S}_{w_a} = 1$$

Collocated kriging

$$LAI^*(x_0) = \sum_{a=1}^{49} W_a LAI(x_a) + d LAI_{reg}(x_0)$$

$LAI_{reg}(x_a)$ is the LAI estimated value using high spatial resolution image (20m)
 And a multi linear relationship between reflectances and measured LAI

Minimizing the estimation variance
 $(s^2 = f(\mathbf{g}_{LAI, LAI}, \mathbf{g}_{LAI, LAI_{reg}}, \mathbf{g}_{LAI_{reg}, LAI_{reg}}))$

$$\mathbf{S}_{w_a} + d = 1$$

Kriging the residual

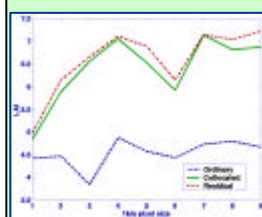
$$e(x_a) = LAI(x_a) - LAI_{reg}(x_a)$$

e is the residual error between measured LAI and estimated LAI using a regression that may be not necessary multi linear

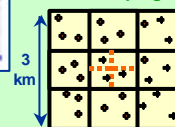
Ordinary kriging of e

Assuming that $LAI(x_a)$ the mean LAI value over the measured cross at x_a

CONCLUSIONS



Estimated LAI for 9 pixels at 1km resolution



- Collocated kriging kept as the best method
- Methods will be tested on forest and sparse vegetation
- Next campaigns = new sampling strategy
 - Improve variogram computation
 - Improve LAI/Reflectance regression